

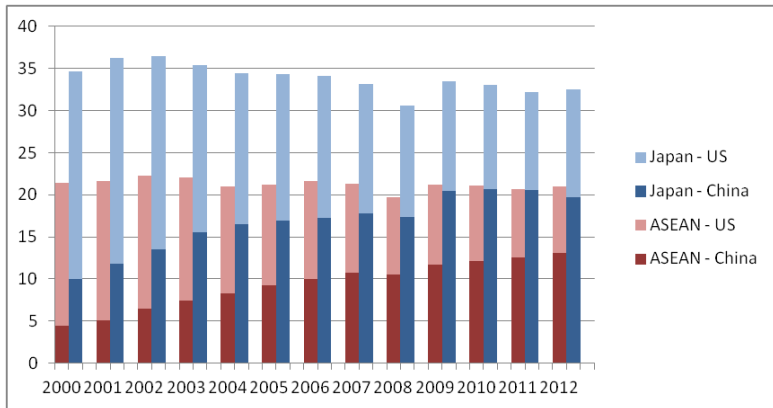
# Great Powers and Financial Architecture in Asia Pacific

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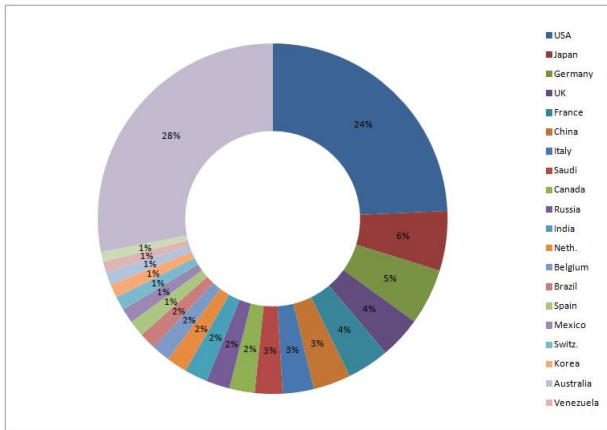
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# Asia's Trade with US and China



# Public Goods Provision

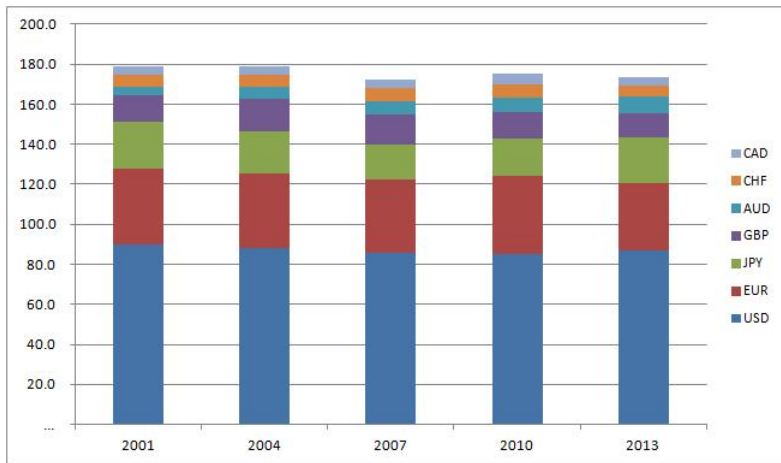
## Voting Powers in the Board of Governors



Source: IMF

# Public Goods Provision

## Currency Distribution of Global Foreign Exchange Market Turnover



Source: BIS Triennial Central Bank Survey

# Dynamics within Asia Pacific

Regionalism? Great Power Competition?

- ▶ ASEAN Economic Community, TPP, RCEP
- ▶ Chiang Mai Initiative, ABMI, AMRO  $\Rightarrow$  Asian Monetary Fund?
- ▶ ADB, AIIB

# The Rise of China

- ▶ Public good provision: US no longer capable but China reluctant?
- ▶ Implication for the hegemonic structure, particularly to East Asia?

## Alesina and Spolaore (1997)

- ▶ “On the Number and Size of Nations”
- ▶ A unit mass of citizens who pay taxes for public goods provision
- ▶ Each public good constitutes a nation
- ▶ The utility of an individual depends on the “distance” to the public good

# This Paper

- ▶ Club good: excludable and non-rival
- ▶ Two modes of public good provision
  - A hegemon single-handedly provides the club good
  - A coalition provides club good for its members
- ▶ Discrete countries in  $\mathbb{R}^2$  (vs a unit mass of citizens on  $[0, 1]$ )
- ▶ Consensus voting (vs. majority voting)
- ▶ Non-cooperative and cooperative game



## Setting

- ▶  $N$  countries  $\{\mathbf{x}_1, \mathbf{x}_2, \dots, \mathbf{x}_N\}$  represented by  $N$  points on  $\mathbb{R}^2$ .
- ▶ Total income of country  $i$ :

$$l_i(g) = y_i + g(1 - \alpha_i(g)d_i(g)) - t_i(g)$$

where  $y_i$  the endowment  
 $g$  is the public good  
 $d_i(g)$  is the distance of  $i$  from  $g$   
 $t_i(g)$  is the fee paid to use  $g$

- ▶  $g$  is a fixed type of club good.
- ▶  $t_i(g) = t(g)$  for all users of  $g$ .
- ▶ We assume  $\alpha_i(g) = \alpha$ .

# Setting

Each country faces a discrete maximization problem

$$\text{maximize } l_i \\ g$$

The choice set  $\{g\}$  consists of public goods by hegemons or by coalitions.

# Hegemons

A hegemon determines the location of public good  $g$ .

- ▶ A hegemon has income greater than  $\bar{k}$
- ▶ Under the hegemon  $H$ ,  $d_H(g) = 0$ .
- ▶ Cost of production is  $\bar{k}$ . There is no coordination cost for producing  $g$ .

## Hegemons - Congestion Games

With deterministic hegemons, competition to form hegemonic structure can be analysed using a congestion game

$\Gamma = \{S_N, R, A, I\}$  where:

1. The players are  $N$  countries in  $S_N$
2. The set of resources  $R = \{H_1, H_2, \dots, H_n\}$  consisting of  $n$  potential hegemons,  $n \leq N$ .
3.  $A = \prod_{i=1}^N A_i$  where  $A_i$  is the set of strategies for player  $i$ .  
 $A_i = \{\emptyset, \mathbb{1}_{H_1}, \mathbb{1}_{H_2}, \dots, \mathbb{1}_{H_n}\}$
4.  $I$  is the set of incomes in response to the element in  $A$ .

## Hegemons - Congestion Games

With the explicit form of utility, the exact potential of the game can be defined as:

$$\Phi(a_1, a_2, \dots, a_N) = \sum_{i=1}^N g_{Hi} (1 - \alpha l_{Hi}) - \sum_{j=1}^n \bar{k} \left( 1 + \frac{1}{2} + \dots + \frac{1}{n_{Hj}} \right)$$

which satisfies

$$\forall a_i, a'_i \in A_i, \forall a_{-i} \in A_{-i}$$

$$\Phi(a_i, a_{-i}) - \Phi(a'_i, a_{-i}) = l_i(a_i, a_{-i}) - l_i(a'_i, a_{-i})$$

# Hegemons - Congestion Games

Well-defined solution concepts

- ▶ There exists a Nash equilibrium
- ▶ With a finite number of players and finite number of strategies, we can make finite number of “improvement steps” to reach a Nash equilibrium

## Coalitions - Hedonic Games

- ▶ For  $S_N$ , define coalition partition as  $\Pi = \{S_1, S_2, \dots, S_l\}$  such that  $S_k$ 's are disjoint and  $\bigcup_{i=1}^l S_k = S_N$ .
- ▶ Each  $S_k = \{\mathbf{x}_1, \mathbf{x}_2, \dots, \mathbf{x}_k\}$  produces public good as a coalition.
  - The location of  $g$

$$\mathbf{x}_g = \frac{\mathbf{x}_1 + \mathbf{x}_2 + \dots + \mathbf{x}_k}{k}$$

$$\mathbf{x}_g \text{ minimizes } D = \sum_{j=1}^k |\mathbf{x} - \mathbf{x}_j|^2$$

- Besides  $\bar{k}$ ,  $S_k$  incurs a coordination cost,  $C(S_k)$ , to produce  $g$
- ▶ Hedonic property: for each  $x_i$ , there is a preference relation  $\succeq_i$  over  $\{S_{\Pi}(i)\}$  which depends solely on the membership of the coalitions

# Coalitions - Hedonic Games

## Stability concepts

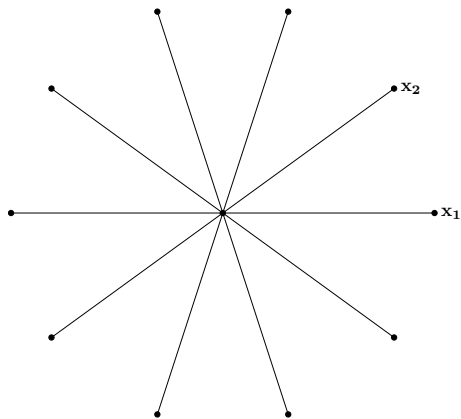
- ▶ Nash stability (Nobody wants to move)
- ▶ **Core stability:**  $\Pi$  is core stable if there is no  $T \subset S_N$  such that  $T \succeq_i S_{\Pi}(i) \forall x_i \in T$ , with at least one strict preference
- ▶ Core stability  $\not\Rightarrow$  Nash stability  $\not\Rightarrow$  Core stability (Bogolmanaia and Jackson (2002))



## Coalitions - Hedonic Games

- ▶ Sufficient conditions for core stability by Bogolmanaia and Jackson (2002) and Banerjee, Konishi and Sonmez (2001)
- ▶ This paper develops a “proposing algorithm” to find the core stable coalition if it exists

# Countries on Arcs



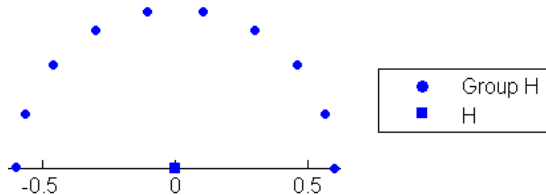
# Countries on Arcs

## Comparative Statics

- ▶ Fix the location of two hegemons
- ▶ For a given  $r$ , find the range of  $\theta$  for which different structures arise.

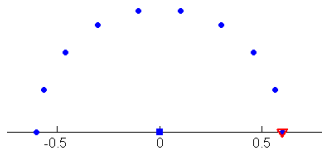
## Simulation - One Hegemon

$$g = 5, \bar{k} = 7, \alpha = 1, N = 11$$

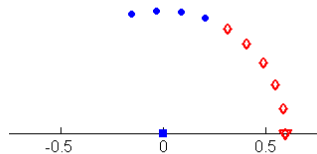


$$r = 0.6, \theta = \frac{\pi}{9}$$

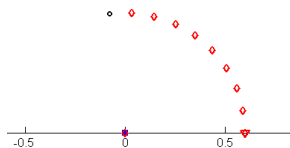
## Simulation - Competing Hegemons



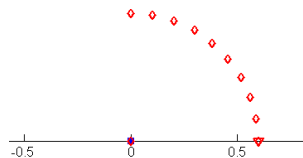
$$(a) \theta = \frac{\pi}{9}$$



$$(b) \theta = \frac{7\pi}{108}$$

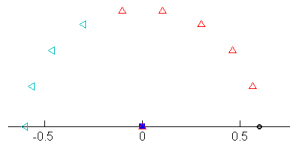
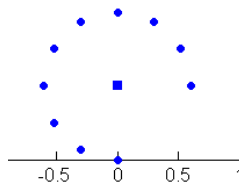


$$(c) \theta = \frac{13\pi}{216}$$

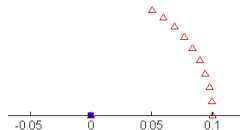
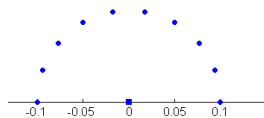


$$(d) \theta = \frac{\pi}{18}$$

# Simulation - Incumbent Hegemon versus Coalitions



$r = 0.8$



$r = 0.1$

# Simulation - Hegemons and Coalitions

